

### Serious road injuries

# Estimating the annual number of serious road injuries in the Netherlands.

#### Henk Stipdonk



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## Serious road injuries Definition

- In EU & IRTAD
  - MAIS3+
- In the Netherlands:
  - Inpatients and MAIS2+





# Serious road injuries Impact

Severity of the casualty	DALY's
Fatalities	42.4 %
Serious road injuries	38.0 %
Emergency dpt visits	18.1 %
General practitioner visits	1.4 %
Material damage only	0.0 %







# Serious road injuries Matching police and hospital data

- Police data :
  - Crash factors, no reliable injury data
- Hospital data
  - Injury data (ICD9/ICD10 -> MAIS)
  - Public road crash/other road crash/other accident
  - No reliable crash/vehicle data

->Probabilistic matching procedure and subsequent estimation of the number of serious road injuries

### Matching procedure: variables

- Find records with the same values for the matching key variables
- Police records:
  - Crash date/time +
  - Hospital name 🗸
  - Date of birth  $\leftrightarrow$
  - Gender
  - Police severity

- Hospital records
- ↔ Date/hour of admission
- ↔ Province of hospital
  - Date of birth
- ↔ Gender
- $\leftrightarrow$
- $\leftrightarrow$  Accident type (E-code)

### Matching procedure: steps

- Find records in both databases that describe the same casualty
  - Link both files
  - Find reliable/true matches  $\rightarrow$  intersection
- Describe/count remaining files
- Estimate cases that are not reported in either database
- Total = intersection + police remainder + medical remainder + not reported

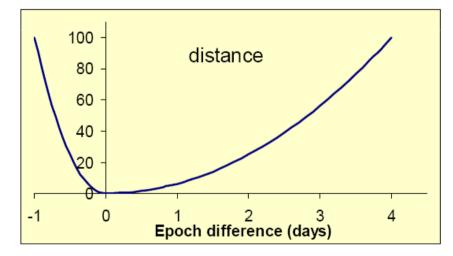
# Matching procedure: distance function

For each of the variables used in the linking procedure a distance function has been defined

eg: time(epoch) difference of police reported crash and hospital admittance 1. Epoch-difference (the difference between accident and hospital entry (date/ time)

$$a_{ij} = 100 * (\alpha_i - \beta_j)^2 / 16 \text{ if } \alpha_i \ge \beta_j;$$
  
$$a_{ii} = 100 * (\alpha_i - \beta_j)^2 \text{ if } \alpha_i < \beta_j;$$





In which  $\alpha_i$  is the epoch of hospital entry and  $\beta_i$  the epoch of the accident, both expressed in days. This distance is constructed in such a way that it equals 100 for a time difference of -1 and +4 days.

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## Matching procedure: selectivity

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Similarities and differences between records are expressed in a distance. The smaller the distance the more equal the records are.

				Distance	Distance	
key	police	hosp1	hosp2	P-h1	P-h2	
date	22-1-2002	23-1-2002	23-1-2002			
hour	23	2	3			
minute	35					
Epoch	37278,98	37279,08	37279,13	0,06	0,13	
Birth	23-3-1980	23-4-1980	23-3-1980	44	0	
Gender	Male	male	male	0	0	
Region	5	5	6	0	50	
Ecode		812	813	0	0	
Severity	6=hospitalised			0	0	
Distance 44,06 50,13						

The preferred pair in this example is the one with the correct region, but an acceptable typing error in the date of birth.



### Matching procedure: decision

- Selectivity = the difference in distance with the **next best** match
- Pairs having small distance and high selectivity are believed to be correct matches
- 110.000 links produce 60.000 matches

Table 82: Frequencies of distance and selectivity classes for matched records in Dutch police and hospital databases (1997-2003, excluding fatalities and day treatment).

		selectivity class					
		0-10	10-30	30-80	80-130	130+	Total
	0-0.1	244	47	1.306	13.467	17.956	33.020
	0.1-35	64	26	373	3.118	4.312	7.893
	35-55	349	147	5.510	9.850	396	16.252
distance	55-100	1.909	1.094	5.329	2.547	581	11.460
class	100-160	7.356	5.033	4.851	502	8	17.750
	160-220	15.295	5.570	1.555	3	0	22.423
	220+	1.198	835	153	2	0	2.188
	Total	26.415	12.752	19.077	29.489	23.253	110.986
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# Serious injuries Estimation of actual number

Let  $P_M$  and  $P_N$  be the probabilities that a crash is reported by the police (M=motorized crash, N = not motorized crash)

Let  $p_1$  and  $p_2$  be the probabilities that an M-crash is not reported as such in the hospital registration

Let  $q_1$  and  $q_2$  be the probabilities that an N-crash is not reported as such in the hospital registration

		Hospital			
		Not Mot crash	Not crash	Motorized crash	Sum
Police	Mot.	P <sub>M</sub> p <sub>1</sub>	$P_M p_2$	P <sub>M</sub> (1-p <sub>1</sub> -p <sub>2</sub> )	P <sub>M</sub>
Police	Not M	$P_{N}(1-q_{1}-q_{2})$	$P_N q_2$	P <sub>N</sub> q <sub>1</sub>	P <sub>N</sub>
Not	Mot	(1-P <sub>M</sub> ) p <sub>1</sub>	$(1-P_M) p_2$	$(1-P_M)(1-p_1-p_2)$	1-P <sub>M</sub>
Police	Not M	$(1-P_N)(1-q_1-q_2)$	(1-P <sub>N</sub> ) q <sub>2</sub>	(1-P <sub>N</sub> ) q <sub>1</sub>	1-P <sub>N</sub>

See "annals of epidemiology" for further details



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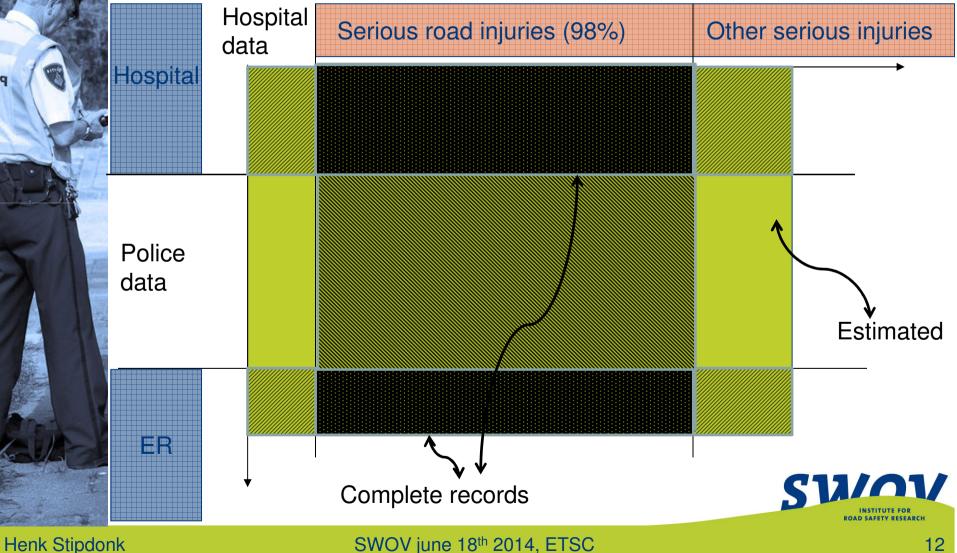
### Estimation of actual number

		LMR				
		Crash without motor vehicle	Crash with motor vehicle	No Traffic crash	SUM	
In BRON	Motor vehicle crash	$M \cdot P_M \cdot a_1$	<i>М</i> · <i>P<sub>M</sub></i> · (1 - <i>a</i> <sub>1</sub> - <i>a</i> <sub>2</sub> )	$M \cdot P_M \cdot a_2$	M · P <sub>M</sub>	
	Crash without motor vehicle	$N \cdot P_N \cdot (1 - b_1 - b_2)$	$N \cdot P_N \cdot b_1$	$N \cdot P_N \cdot b_2$	$N \cdot P_N$	
Not in BRON	Motor vehicle crash	<i>M</i> · (1 - <i>P<sub>M</sub></i> ) · <i>a</i> <sub>1</sub>	M · (1 - P <sub>M</sub> ) · (1 - a <sub>1</sub> - a₂)	М · (1 - Р <sub>м</sub> ) · а₂	<u>М</u> ·(1 - Р <sub>М</sub> )	
	Crash without motor vehicle	N · (1 - P <sub>N</sub> ) · (1 - b <sub>1</sub> - b <sub>2</sub> )	N · (1 - P <sub>N</sub> ) · b <sub>1</sub>	N · (1 - P <sub>N</sub> ) · b <sub>2</sub>	N · (1 - P <sub>N</sub> )	
SUM		N <sub>LMR</sub>	<b>M</b> <sub>LMR</sub>	<i>Other</i> <sub>LMR</sub>	N+M	

The issue is how to estimate the (two) non-shaded cells

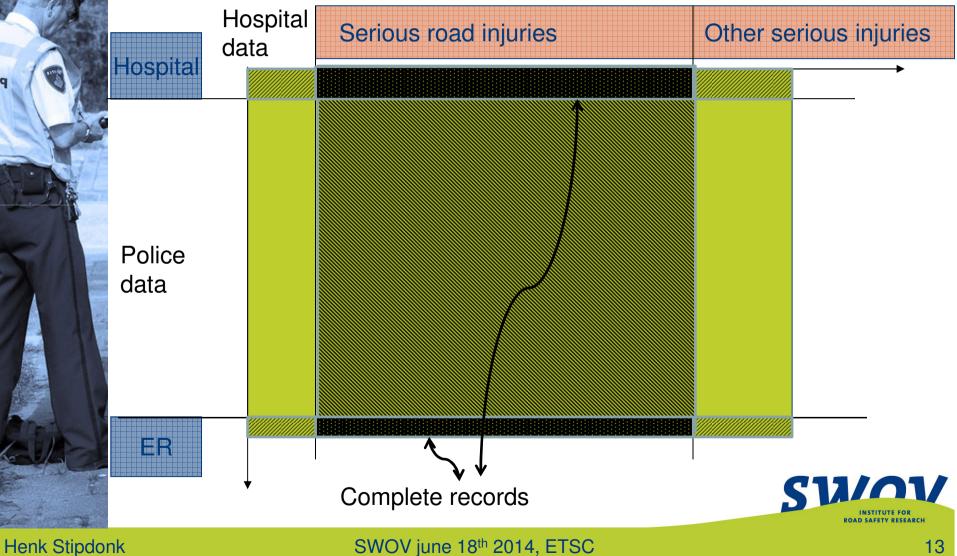


# Serious injuries Estimation of actual number





# Serious injuries Available data since 2010





For more research results Reurings & Stipdonk Annals of epidemiology 21 (9) 648-653, 2011 For more information <u>WWW.SWOV.nl</u>

> Fact Sheets Road safety data, Reports Sustainable safety

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